

ICAS
Software
Services

Systems: DDHB

Project: PB2001

Routine:

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By: J.M.-L.

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To: Peter Clarke
Cyprus Anvil Mining Corporation
Vancouver

Re: Conversion of GRUM KA-coordinates to UTM and vice versa

1. KA-coordinates to UTM

$$N_{UTM} = N_0 + S * (N_{KA} * \cos \alpha + E_{KA} * \sin \alpha)$$

$$E_{UTM} = E_0 + S * (-N_{KA} * \sin \alpha + E_{KA} * \cos \alpha)$$

2. UTM-coordinates to KA

$$N_{KA} = ((N_{UTM} - N_0) * \cos \alpha - (E_{UTM} - E_0) * \sin \alpha) / S$$

$$E_{KA} = ((N_{UTM} - N_0) * \sin \alpha + (E_{UTM} - E_0) * \cos \alpha) / S$$

where N_{UTM}, E_{UTM} = UTM-coordinates of a point (DDH-collar)

N_{KA}, E_{KA} = KA-coordinates of a point (DDH-collar)

α = clockwise offset angle from KA-grid North to UTM-North

S = UTM distance scale factor

N_0, E_0 = UTM-coordinates of KA-grid origin

My analyses indicate that the following values are adequate for use in the above formulae for the GRUM property

$$\alpha = 1.5736111^\circ \quad \cos \alpha = 0.9996229 \quad (\text{known value})$$

$$\sin \alpha = 0.0274612$$

$$S = 0.99950853 \quad (\text{average value})$$

$$N_0 = 6,894,007.169 \quad E_0 = 584,995.9084 \quad (\text{least-squares minimum})$$

$$\begin{Bmatrix} E_{UTM} \\ N_{UTM} \\ h \end{Bmatrix} = \begin{bmatrix} & & \\ & T & \\ & & \end{bmatrix}^{-1} \begin{Bmatrix} E_{Nc} \\ N_{Nc} \\ 1 \end{Bmatrix}$$

$$\begin{Bmatrix} E_{Nc} \\ N_{Nc} \\ 1 \end{Bmatrix} = \begin{bmatrix} & & \\ & T & \\ & & \end{bmatrix} \begin{Bmatrix} E_{UTM} \\ N_{UTM} \\ h \end{Bmatrix}$$

$$[T] = [A] * [B] * [C]$$

←
↙
↘

Scaling Translation Rotation.

$$\begin{Bmatrix} E_{UTMS} \\ N_{UTMS} \\ \underline{1} \end{Bmatrix} = \begin{bmatrix} \frac{1}{3} & \cdot & \cdot \\ \cdot & \frac{1}{3} & \cdot \\ \cdot & \cdot & 1 \end{bmatrix} \begin{Bmatrix} E_{UTM} \\ N_{UTM} \\ \underline{1} \end{Bmatrix}$$

