



# Curragh Resources Inc.

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## TELECOPIER COVER LETTER

TO:

LEE

TELECOPIER NO. 668 6518

FROM:

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MESSAGE

Following will be 3 pt.  
problem sol's and assorted plans.  
All figures are at 1:2000  
+ photocopied & fax distributed

LEE:

July 27/90

Following will be the 3- $\mu$ t. problems I have calculated. A total of four sets have been calculated, all giving the general trend of NE, dipping NW at approx 50-52°.

The range of possibilities these calculations indicate are:

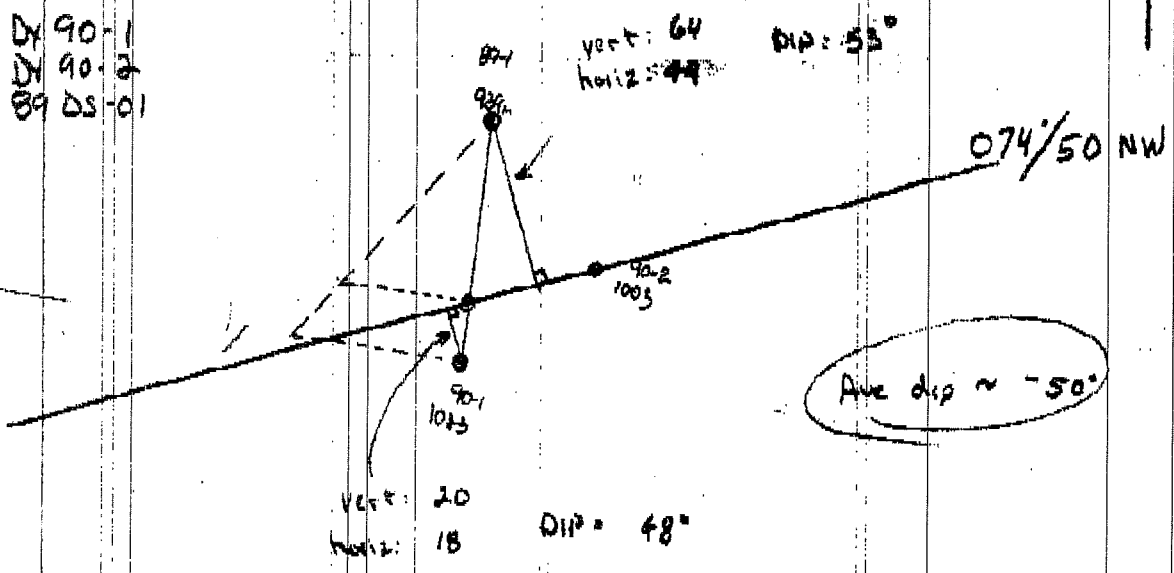
050°/51°NW to 074°/50°NW

I will determine the expected <sup>range of</sup> depths of the fault in DY 90-3 and submit this to you as soon as they are calculated - hopefully this will be today.

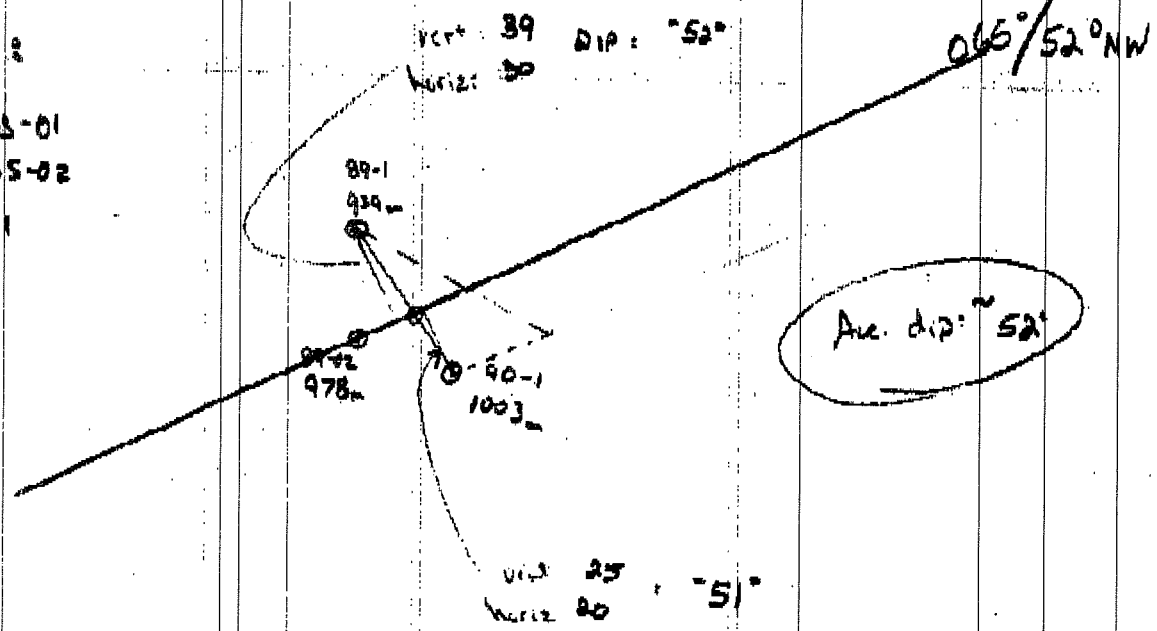
John Z

Using:  
Dx 90-1  
Dy 90-2  
89 DS-01

N  
↑  
1:2000



Using:  
89 DS-01  
89 DS-02  
90-1



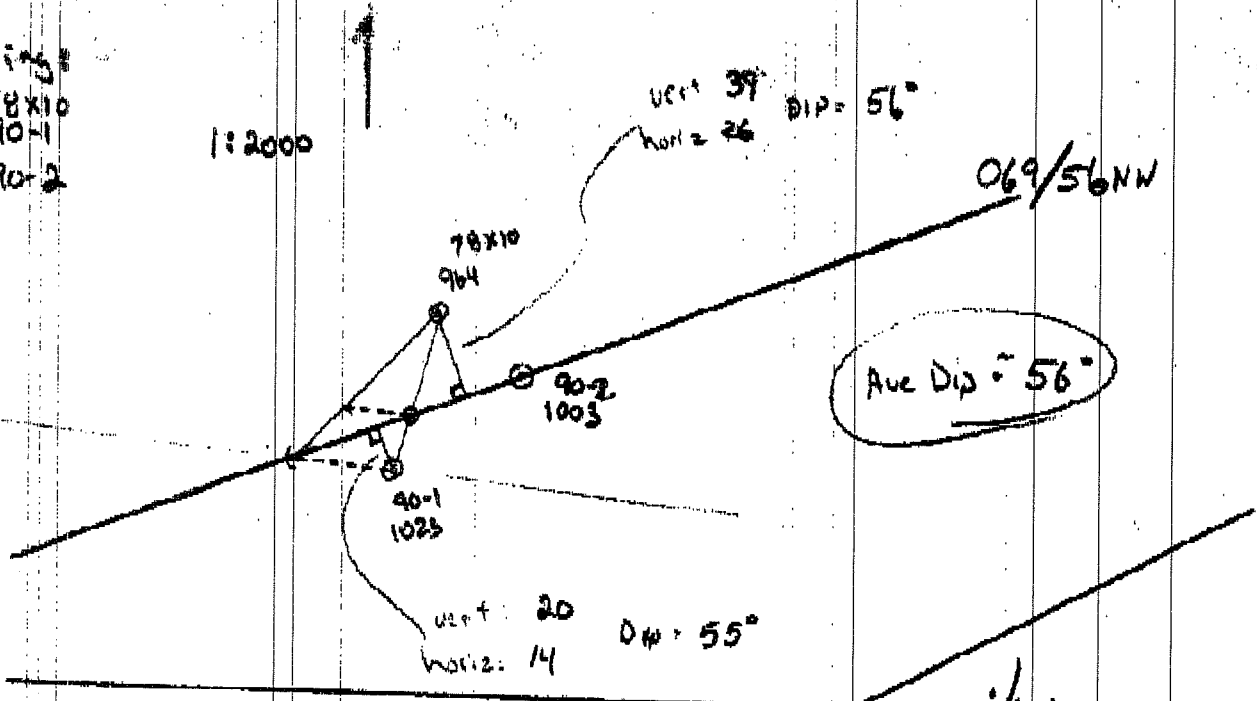
Using:  
78X10  
90-1  
90-2

1:2000

vert 39  
horiz 26  
DIP = 56°

069/56NW

Ave Dip = 56°

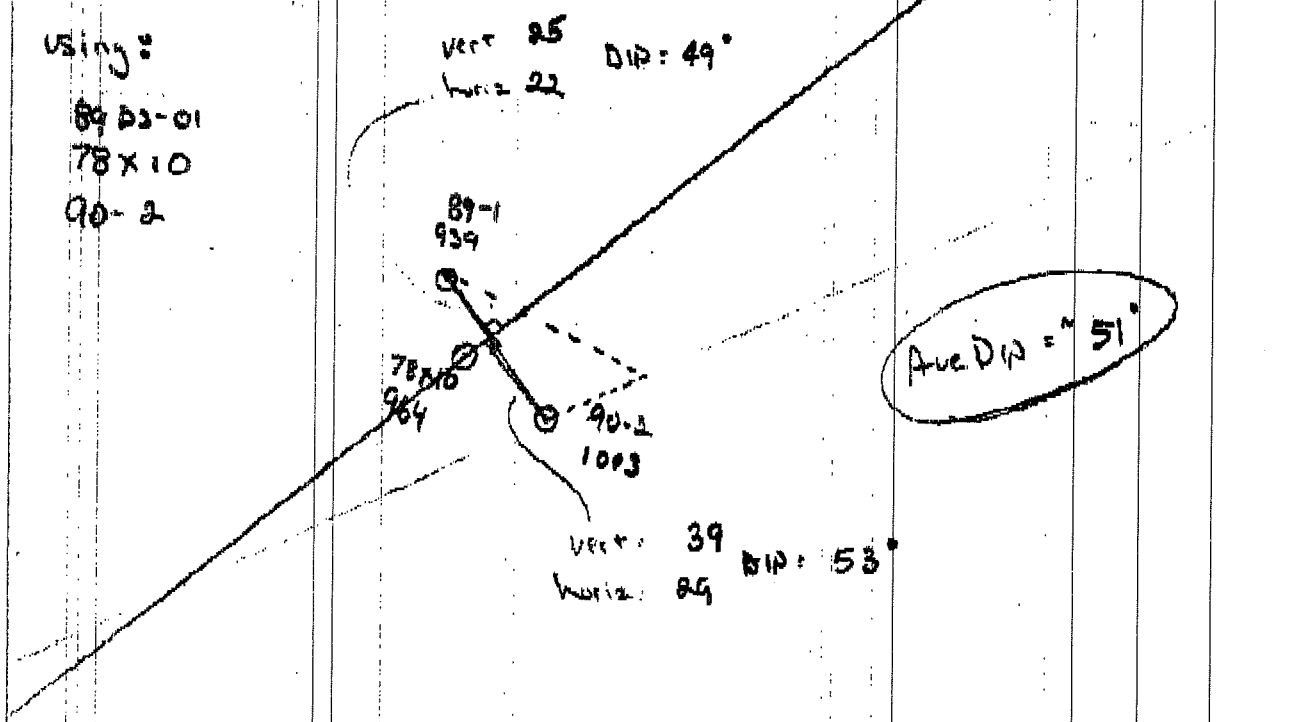


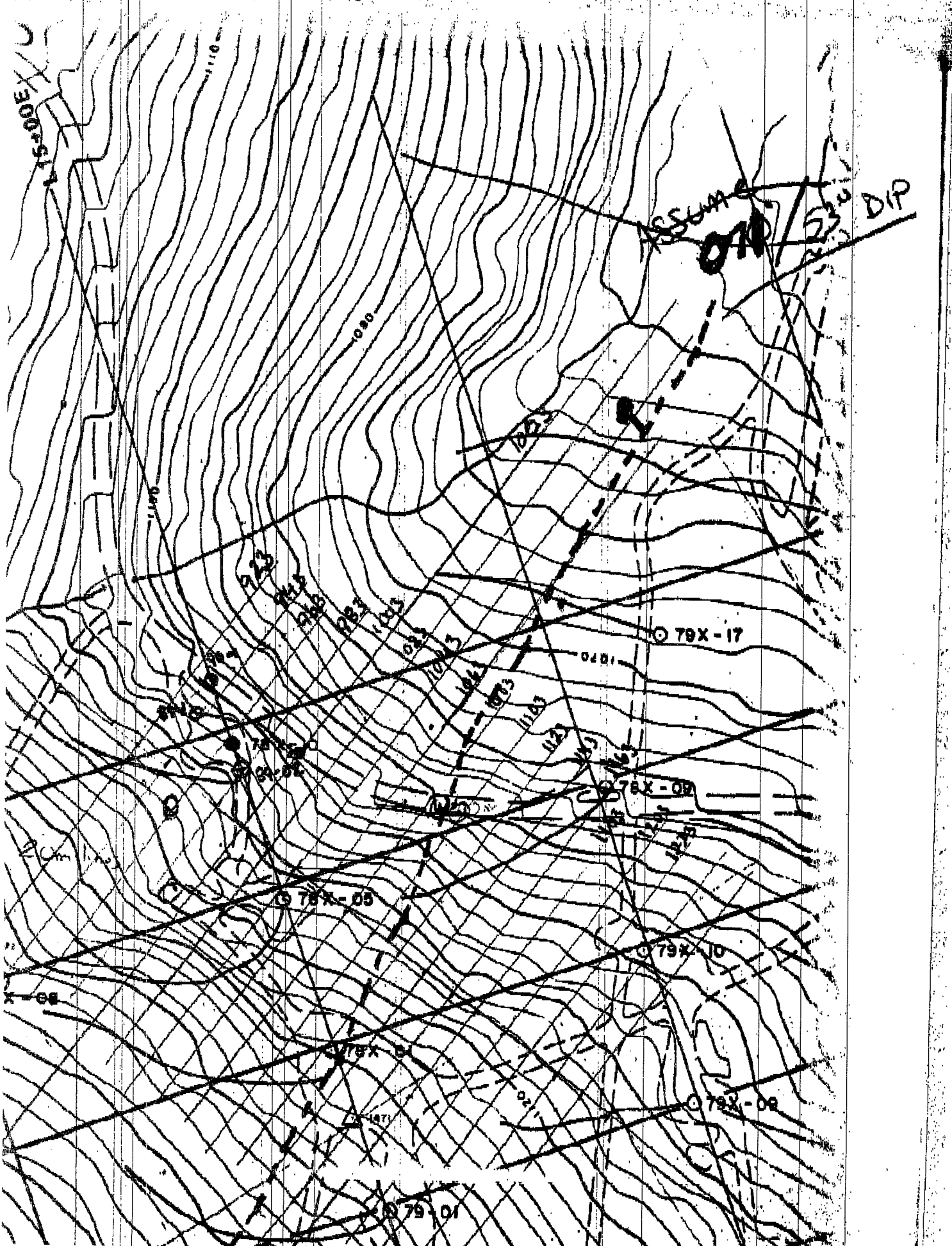
Using:  
89 D3-01  
78X10  
90-2

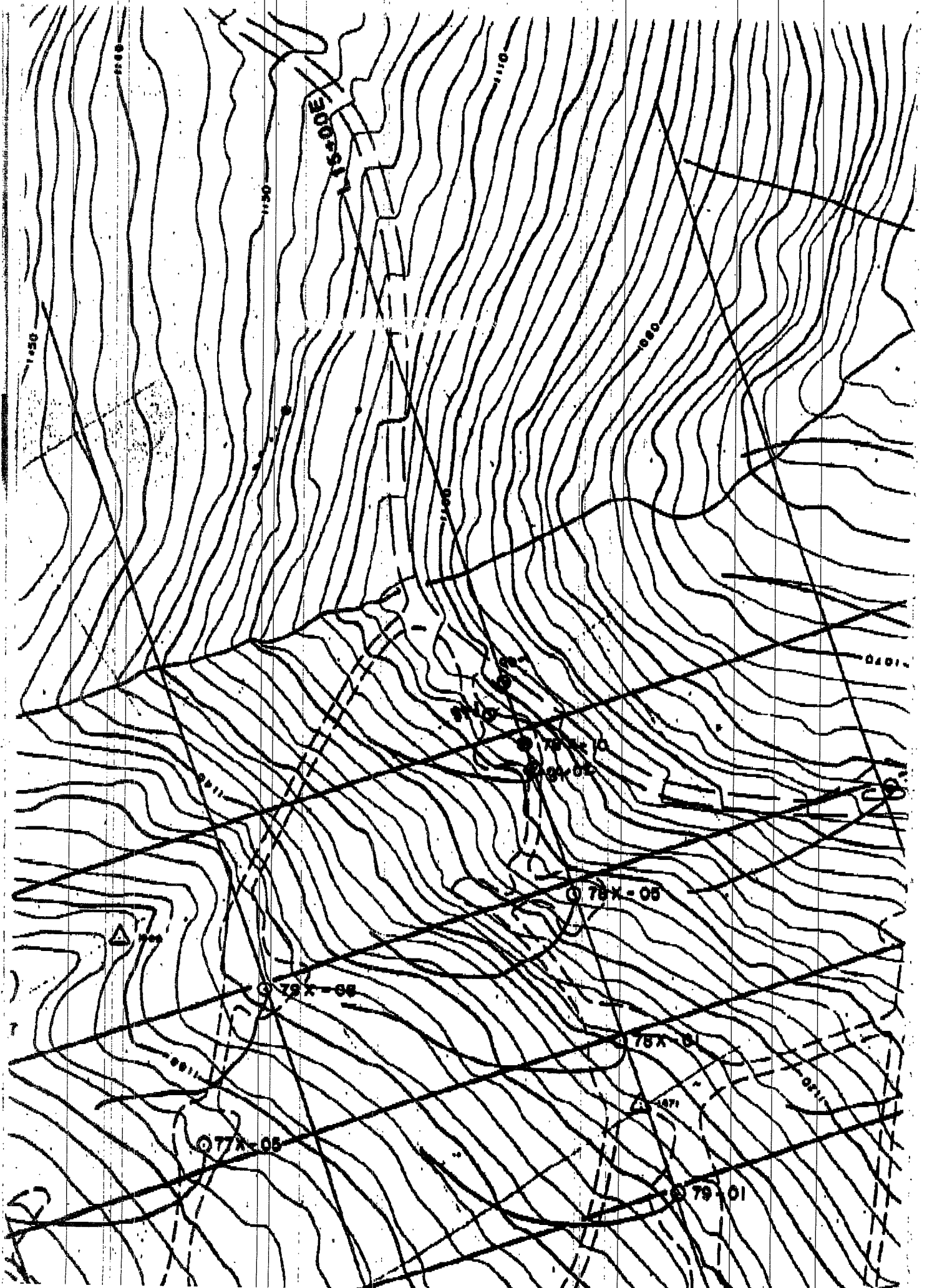
vert 25  
horiz 22  
DIP = 49°

059/51° NW

Ave Dip = 51°







FROM  
BILLINGS  
Structural  
Geol.

Point 6 is at the base  
of sandstone. From  
point 7 is the base of a very  
dip of all the beds to be the  
vertical measures, on a scale of 1  
appropriate symbols and thick-  
lithologic units.



exercise

# 10

## SOLUTION OF THREE-POINT PROBLEMS AND VERTICAL FAULT PROBLEMS BY DESCRIPTIVE GEOMETRY

### Three-Point Problem

The method used in this exercise for the solution of three-point problems is based on the graphic solution of similar triangles. The following problem illustrates the procedure to be followed:

*Given:* Points *A*, *B*, and *C*, all on top of a sandstone bed. Point *B* lies  $N.45^{\circ}W.$  of *A* at a map distance of 300 feet. Point *C* lies  $N.50^{\circ}E.$  of *A* at a map distance of 400 feet. The elevations of points *A*, *B*, and *C* are 950, 1100, and 1350 feet, respectively.

*To Find:* The strike and dip of the top of the bed of sandstone. In all such cases the top of the bed must be a plane surface.

*Construction (Fig. E10-1):* Locate the three points according to the data given, using some convenient scale. Draw line *AC*, connecting the highest and the lowest of the three points. Some point along this line has the same altitude as the intermediate point *B*.

Along line *CD*, drawn in some convenient direction from point *C*, lay

560 Solution of Three-Point Problems

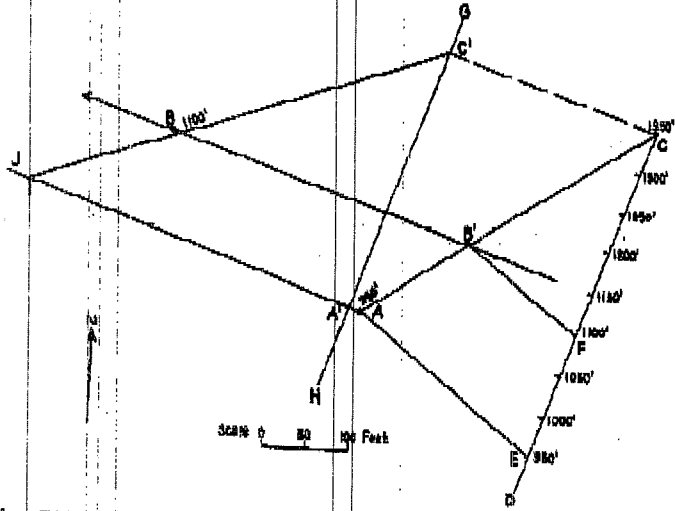


Fig. 510-1. Graphic solution of three-point problem. Location and altitude of A, B, and C are known.

of CE equal to the difference in elevation between points A and C using any convenient scale. On the same line, using the same scale, lay off CF equal to the difference in elevation between points B and C.

Connect points A and E by a line. Through point F draw a line parallel to line AE to intersect line AC. This intersection, point B', is the point having the same altitude as point B. The line connecting points B and B' is the strike of the top of the bed.

At any convenient place draw line GH perpendicular to the strike of the bed. Project points A and C into this line to points A' and C'. Line CC' is the strike line on the top of the bed at an altitude of 1350 feet, and line AA' is the strike line on the top of the bed at an altitude of 950 feet. The dip is therefore from point C' toward point A'—that is, toward the southwest.

Now make a vertical section along line GH. Erect the perpendicular A'I to GH at point A', and on this line, using the same scale as the horizontal map scale, lay off A'I equal to the difference in altitude between points A and C. Connect points I and C'. Angle A'C'I is equal to the dip of the top of the sandstone.

Vertical Fault

The following example illustrates the graphic method of determining the displacement on a fault if the altitude and location of two displaced

561 Vertical Fault

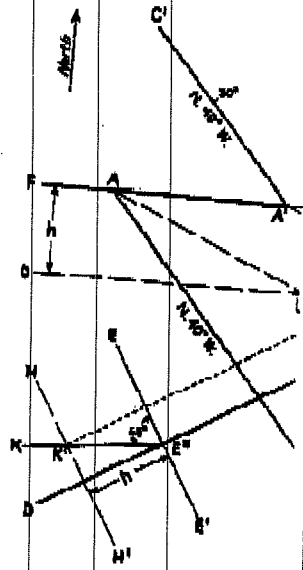


Fig. 510-2. Graphic solution of a vertical fault.

**Given** (Fig. E and dips vertically at A and A' on the vein, striking N.60° south and north si

**Find:** (a) the horizontal projecti the fault plane.

**Construction:** vein, and draw BD E10-2). Draw EE' convenient places, such we shall now make Draw HH' par H' parallel to and at we will call the low Draw angles G'G'' and N.60° E. veins. These lines represent